

ISDH2015/ C. J. Cheng

# Introduction — Technical performance of SLM device

Basic structure of SLM device

Holographic film v.s. SLM



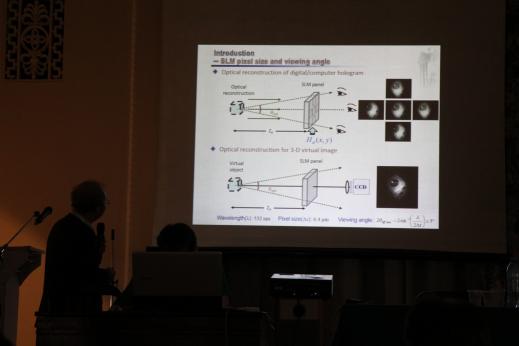


3-D reconstruction

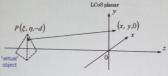
3 \*Jasper Display: http://www.jasperdisplay.com/tw/

Technical data Holographic film SLM Wet/Dry-Imaging Electro-optical chemical process conversion process Transmission/ Transmission/R Display type Reflection eflection Display area > 50 ×60 cm<sup>2</sup> 1.5 × 0.7 cm<sup>2</sup> 6.4 µm > 3,000 lps/mm (3.74 µm)\* Continues Pixelated Dynamic & Operation Static Reconfigurable

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## SLM-based holographic display — Phase hologram

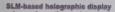


Coordinate for LCoS-based holographic display

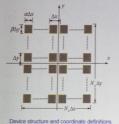
- Phase hologram formation
  - Diffracted light of "virtual object" pass through SLM-based holographic display system

■ Light field formed by a point source P of the "virtual object", in the plane z=0
$$u_t(x,y;\xi,\eta) = \frac{\exp(ikd)}{j\lambda d} \prod_{j=1}^{\infty} \delta(x_t - \xi, y_t - \eta) \exp\left(\frac{jk}{2d} \left\{x - x_t\right\}^2 + \left(y - y_t\right)^2\right] dx_t dy_t$$

- The expression of a phase hologram with unitary amplitude
  - $u_i(x,y,\xi,\eta) = \frac{\exp(jk\eta)}{j} \exp \frac{-jk\eta}{2d^3}(x-\xi)^2 + (y-\eta)^2 \frac{\pi}{2}$  Phase hologram on LCoS device ISDIC2015/C-3. Ching



- Image formation and properties



53(27), G222-G231 (2014).

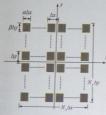
Image formation and properties

☐ The phase hologram formed in LCoS  $H_{\lambda}(x,y;\xi,\eta) = u_{\lambda}(x,y;\xi,\eta)w(x,y)$ ☐ The window function of SLM device Aperture of the SLM  $w(x, y) = \text{rect}\left(\frac{x}{N_{x}\Delta x}\right) w_{x}(x) \text{rect}\left(\frac{y}{N_{x}\Delta y}\right) w_{x}(y)$ Pixel of the SLM  $w_a(x) = \left[ rect \left( \frac{x}{\alpha \Delta x} \right) * comb \left( \frac{x - \Delta x / 2}{\Delta x} \right) \right]$  $w_{g}(y) = \left[ \operatorname{rect} \left( \frac{y}{\beta \Delta y} \right) * \operatorname{comb} \left( \frac{y - \Delta y / 2}{\Delta y} \right) \right]$ 

- LCoS parameters
  - ☐ Pixel number (Nx,Ny), pixel size  $(\Delta_r, \Delta_r)$ , and fill factor  $(\alpha, \beta)$

[Ref] J. Li, H. Y. Tu, W. C. Yeh, J. Gui, and C. J. Cheng, Appl. Opt. 19DH2015/ C. J. Cheng

#### SLM-based holographic display - Impulse response



device structure and coordinate definitions

[Ref] J. Li, H. Y. Tu, W. C. Yeh, J. Gui, and C. J. Cheng, Appl. Opt. 53(27), G222-G231 (2014).

☐ According to the Fourier optics, the reconstructed image in the Fresnel plane is

$$\begin{split} h_s(x,y;\xi,\eta) &= \frac{1}{\lambda d} \exp\biggl[\frac{jk}{2d} (\xi^2 + \eta^2)\biggr] \\ &\times \exp\biggl[-\frac{jk}{2d} (x^2 + y^2_s)\biggr] \Im^{-1}[\mathbf{w}(x,y)] \end{split}$$

☐ A simplified result in the case of the zero diffracted order  $h_{\ell}(x_i, y_i, \xi, \eta) = \frac{1}{2 - \epsilon} \alpha \beta N_s \Delta x^2 N_s \Delta y^2 \operatorname{sinc}(\alpha/2)$ 

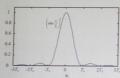
$$\begin{array}{c} \operatorname{Sinc}(\beta/2) & \operatorname{sinc}\left[\frac{N_{s}\Delta x}{\lambda d}\right] X_{s} - \xi - \frac{\lambda d}{2\Delta x} \end{array} \\ = & \operatorname{sinc}\left[\frac{N_{s}\Delta y}{\lambda d}\right] Y_{s} - \eta - \frac{\lambda d}{2\Delta y} \end{array}$$

- ☐ The reconstructed image
  - ☐ Modulated by sinc function of SLM array size (Large array size for high quality reconstruction)
  - □ 3-D object can be considered as a collection of many point sources in space, so this analysis method can be applied to 3D reconstruction ISDDf2015/ C. J. Cheng

## SLM-based holographic display

- Depth of focus

The depth of focus as a function of  $[\operatorname{sinc}(x_i/T_x)]^2$ 



Recording configuration:

Wavelength ( $\lambda$ ): 532 nm Pixel number ( $N_x$ ): 1024

Pixel size (Δx): 6.4 μm
Diffraction distance (d):
d= 400 mm

d=1200 mm

=

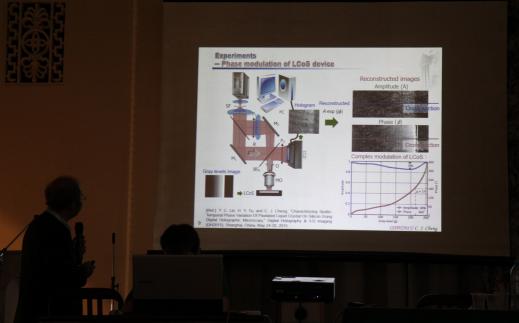
 $d_h = 3.96 \text{ mm}$  $d_h = 35.67 \text{ mm}$ 

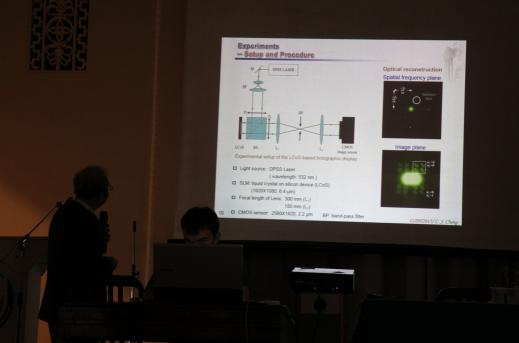
- $\square$  The reconstruction distance  $d' \neq d$
- ☐ The light intensity distribution at image plane is proportional to [sinc(x,7 T)sinc(y,7 T)]²

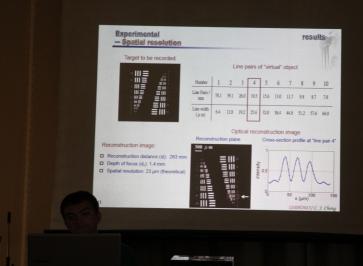
$$2T = 2T_s = 2\frac{\lambda d}{N_x \Delta x} = \left| \frac{d - d'}{d} \right| N_x \Delta x$$

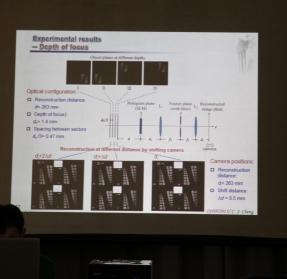
- Depth of focus:  $d_k \approx \frac{2\lambda d^2}{(N_x \Delta x)^2}$
- ☐ The depth of focus depend on diffraction distance and device parameters
- ☐ A long diffraction distance has large depth of focus
- ☐ 3D reconstruction image can be resolved in the depth of focus

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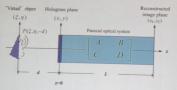






### Potential Applications

- SLM-based holographic display with paraxial optical system



- Ray matrix optics and scalar diffraction theory can be applied to SLM-based holographic display architecture combining with paraxial optical systems.
- □ Paraxial optical system can be a telescopic imaging, 4-f processing system et al.
   □ The image formation and properties can be also obtained by the proposal method.

[Rod\_t\_J\_LLY\_C\_Ln\_HY\_Tlu\_J\_Cld\_C\_Lt\_Y\_Lou\_and\_C\_J\_Cheng\_\*Image Formation of Holographic Three-dimensional Deployer Bused on Spatial Logist Modulator in Faraxial Optical Systems," J. MicroNanoRhography, MENs., and ACRES. 2071 (or press). 1570/E015/.C.3. Chemical Computer Systems (1998). 1570/E015/.C.3. Chemical Chemical Computer Systems (1998). 1570/E015/.C.3. Chemical Chemical







# Thank you for your attention

Collaboration work

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